Geometry CC

3)

Volume of Composite Shapes

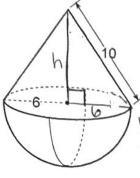
Questions 1 through 4 refer to the following:

Find, to the *nearest* hundredth, the volume of the given composite solid.

* hemisphere & cone



2)

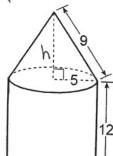


$$h^2 + 6^2 = 10^2$$

$$VO1 = 1447 + 967$$

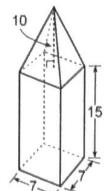
*cylinder+

Cone

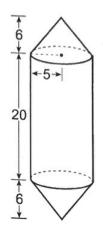


$$h^2 + 5^2 = 9^2$$

* pyramicla rectangular prism



Vrec = Bh = (7)(7)(15) = 735

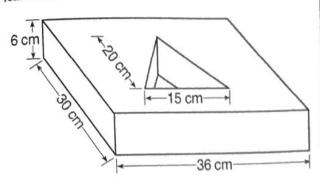


+ 2 cones

 $V_{cone} = \frac{1}{3}\pi(5)^{2}(6) = 50\pi$ $2 \text{ cones} = 2(50\pi) = 100\pi$

Vcylinder = 7 (5)2 (20) = 50017

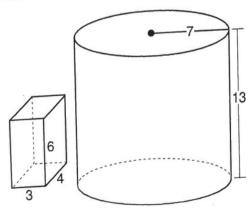
The figure below shows dimensions of a block of foam used to package a triangular shaped product. The foam is in the shape of a rectangular prism with a small triangular prism removed from the center.



How many cubic centimeters of foam are used to package this product?

Vrec=Bh=(36)(30)(6)=6480
V+ri=Bh=(
$$\pm$$
(15)(20)(6)=900
Foam=6480-900=[5580]

Elana is making spaghetti sauce. She is cooking it in a cylindrical pot that is 13 inches tall and has a radius of 7 inches. The sauce is 1 inch from the top of the pot. She plans on transferring the sauce to rectangular containers that are 6 inches tall, with bases that are 3 inches by 4 inches.

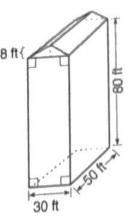


If she fills each rectangular container 1 inch from the top, approximately how many containers will she need to hold all of the sauce in the pot?

Vsauce =
$$\pi(7)^{2}(12) = 588\pi$$

Vcontainer = (3)(4)(5) = 60
 $\frac{528\pi}{60} \approx |3|$ containers

The cooling system for the building shown below can reduce the temperature 15°F at a rate of 925 cubic feet per minute.



How many minutes will it take to lower the temperature of the building from 75°F to 60°F? [Round the answer to the nearest minute.]

*rectangular prism of triangular
prism

Vrec = (30)(50)(80) = 120,000

V+vi=Bh=(2(30)(8))(50)=6000

Vauilding=120,000+6,000 =126,000 f+3